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A. Behera and K. K. Dash

A CATEGORICAL CONSTRUCTION OF A COMPLETE METRIC
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Abstract: Deleanu, Frei and Hilton have developed the notion of generalized Adams completion in a categorical context. The construction of a complete metric space from an incomplete metric space is a well known result in general topology. In this paper, it is shown that this completion of a metric space is, in fact, the Adams completion of the metric space with respect to a suitable set of morphisms in a category.

A. Behera and K. K. Dash

HOMOLOGY DECOMPOSITION OF GROUPS

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Abstract: Deleanu, Frei and Hilton have developed the notion of generalized Adams completion in a categorical context; they have also suggested the dual notion, namely, the Adams cocompletion of an object in a category. In this paper we obtain the different stages of an abelian group as the cocompletions of the group via homology theory of groups.

S. Bhargava, Chandrashekar Adiga and M. S. Mahadeva Naika

A NEW CLASS OF MODULAR EQUATIONS IN RAMANUJAN'S
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Abstract: In this paper we obtain a class of modular equations in Ramanujan's alternative theory of elliptic functions of signature 4 and employ them to obtain a new class of P - Q eta-function identities with four moduli akin to Ramanujan's.

Prem Chandra and Varsha Karanjgaokar

AN ASPECT OF LOCAL PROPERTY OF THE FOURIER
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Pratulananda Das

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ON A TOPOLOGICAL GROUP 53-58

Abstract: In this short note we investigate when the density topology on a topological group is pseudo-complete.

Raju K. George and Rajesh C. Shah

SOLVABILITY AND CONTROLLABILITY OF CONTROLLED
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Abstract: In this paper we investigate the solvability and controllability of the Lienard equation. For solvability analysis we use a more general Lienard system which was recently studied by Huang [2] for boundedness of solution. We give sufficient conditions on the nonlinear function in the Lienard system which will ensure the solvability and controllability of the system. In our analysis, we make use of the Banach contraction principle and theory of Lipschitz continuous operators. We also obtain algorithm for the computations of the steering control.

Liu Lanzhe

WEIGHTED WEAK TYPE (H^1, L^1) ESTIMATES FOR COMMUTATORS
OF LITTLEWOOD-PALEY OPERATORS

71-78

Abstract: We show the weighted weak type (H^1, L^1) estimates for the commutator of Littlewood-Paley operators.

P. N. Natarajan

ON THE ALGEBRA (c_0, c_0) OF INFINITE MATRICES IN NON-
ARCHIMEDEAN FIELDS

79-87

Abstract: In the paper K denotes a complete, non-trivially valued non-archimedean field. Infinite matrices and sequences have entries in K . A few results in the context of the algebra (c_0, c_0) of infinite matrices under a convolution product are studied.

Pramila Srivastava

CARATHÉODORY OUTER MEASURE AND MEASURABILITY 89-104

Abstract: Carathéodory's approach is adapted towards generating a measure on a countable complete bounded lattice of functions from X to the closed unit interval I via an outer measure on I^X . The conditions satisfied by the generated measure lead to an axiomatic definition of an F^* -probability measure space of which the classical probability measure space is an example.

Stevo Stević

ON SEQUENCES WHICH SATISFY A NONLINEAR INEQUALITY 105-116

Abstract: In this note we prove two generalizations of the following result:

Suppose that (a_n) and (b_n) are two sequences of nonnegative numbers such that $a_{n+1} \leq a_n + b_n$ for all $n \geq 1$. If $\sum_{n=1}^{\infty} b_n < \infty$, then the sequence (a_n) converges.

These two results consider sequences of real numbers which satisfy a difference inequality of order equal to $k \in N$. Also we generalize this result for a system of difference inequalities.

V. Yegnanarayanan

A NOTE ON NORDHAUS-GADDUM CLASS 117-119

Abstract: The determination of the upper and lower bounds (preferably sharp bounds) $f(G) + f(G^c)$ and $f(G)f(G^c)$ where G is a graph of order p is called the Nordhaus-Gaddum problem for a given graph theoretic parameter f and a positive integer p . In this paper we study the sums and products of values of the vertex

partition number over the factors of a decomposition.
